

## Normal Incidence Reflection

**Reading assignment**

Ulaby, 8-1

Connor and Salon, Unit X (On Waves &amp; Materials)

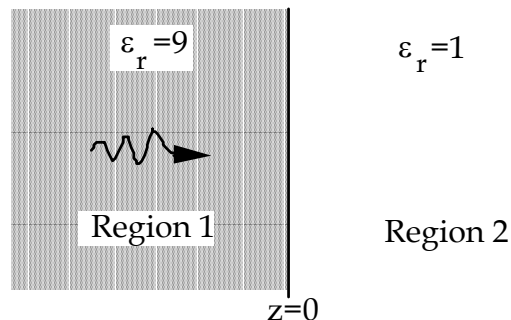
**Problem 1 - Normal incidence reflection - conductors**

A 10 GHz plane wave has an electric field magnitude of 100 V/m and propagates in the  $\mathbf{a}_z$  direction through a perfect dielectric with  $\epsilon_r = 9$ .  $\mathbf{E}$  is in the  $\mathbf{a}_x$  direction.

- What are the incident  $\mathbf{E}$  and  $\mathbf{H}$  phasors?
- At  $z = 0$ , the wave strikes a perfect conductor. What are the reflected  $\mathbf{E}$  and  $\mathbf{H}$  phasors?
- Use the boundary conditions to find the surface current density in the conductor.
- Draw the standing wave pattern for  $\mathbf{E}$  and  $\mathbf{H}$  (include numbers for amplitude and position).
- Simulate this case with `sing_bnd.m` by using a large imaginary dielectric for region 2.
- Calculate the total  $\mathbf{E}$  and  $\mathbf{H}$ . (phasor & time domain form).

**Problem 2 - Normal incidence reflection - dielectrics**

The same wave as in problem 1 strikes a dielectric-air boundary at  $z=0$  as shown below.

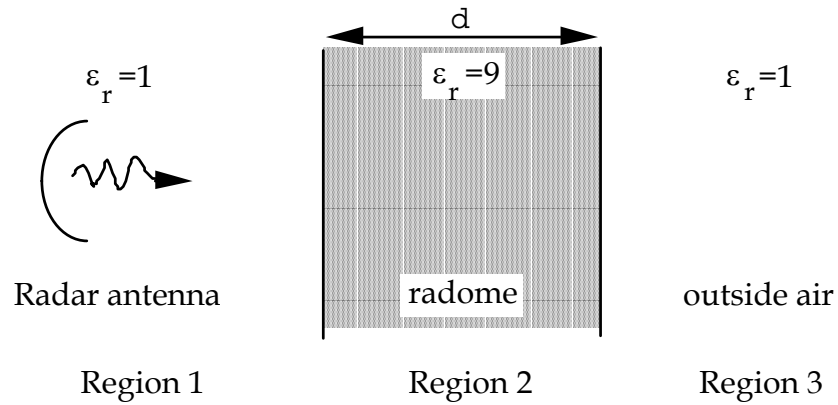


- Find the reflection and transmission coefficients.
- What are the reflected and transmitted electric field phasors?
- What are the reflected and transmitted  $\mathbf{H}$  phasors? What is  $H_t/H_i$ ?
- What is the standing wave ratio in the dielectric? Sketch the standing wave pattern for  $\mathbf{E}$  and  $\mathbf{H}$ . Run `sing_bnd.m` for this problem.
- What is the average power density of the incident, reflected, and transmitted waves?

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**Problem 3 - Normal incidence - multiple boundaries**

A 10 GHz radar transmitter is used in the configuration shown below. Note that the radome-outside air boundary is identical to the boundary examined in Problem 2.



- What is  $|\mathbf{E}|/|\mathbf{H}|$  at the  $z=0$  boundary of Problem 2? (equivalent to the region 2-3 boundary in this problem). Compare it with the value in air.
- Now refer to the full radome problem. Where can you put the left boundary so that  $|\mathbf{E}|/|\mathbf{H}|$  in the radome matches that in the air on the left? For mechanical reasons, the radome must be more than 2 cm thick.
- What is  $\Gamma$  for this value of  $d$ ?
- What is  $\Gamma$  if  $d$  is 0.2 mm thinner than designed?